

Sparse Flat Neighborhood Networks (SFNNs): Scalable Guaranteed Pairwise Bandwidth & Unit Latency

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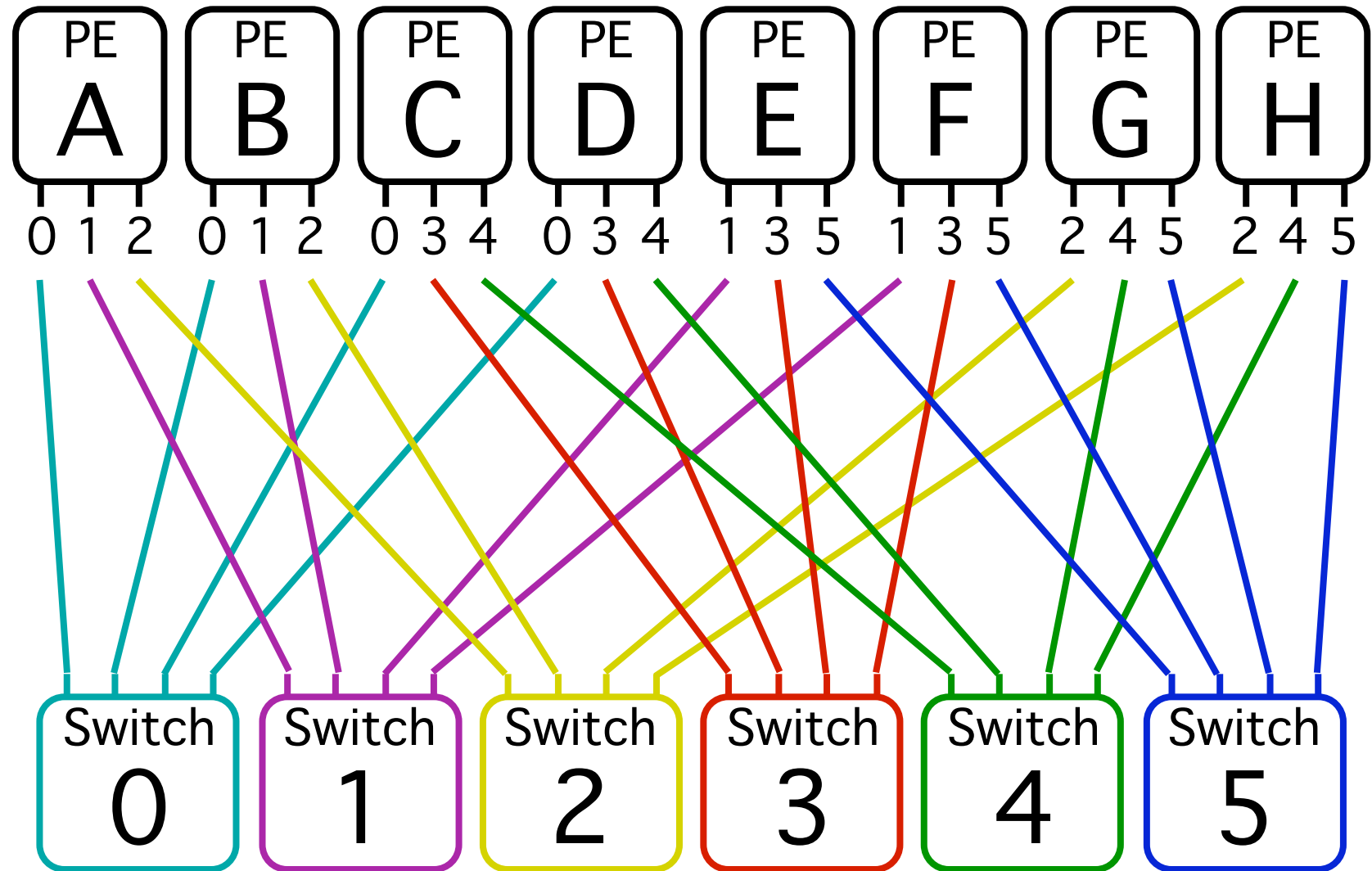
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Flat Neighborhood Networks

- Single switch-hop = low latency
- No shared links = guaranteed bandwidth
- Multiple Network Interfaces (NIs) per node
- Can be lower cost and faster than a fat-tree
- Designed by GA (genetic algorithm)
 - Incorporate program requirements
 - Search includes asymmetric designs

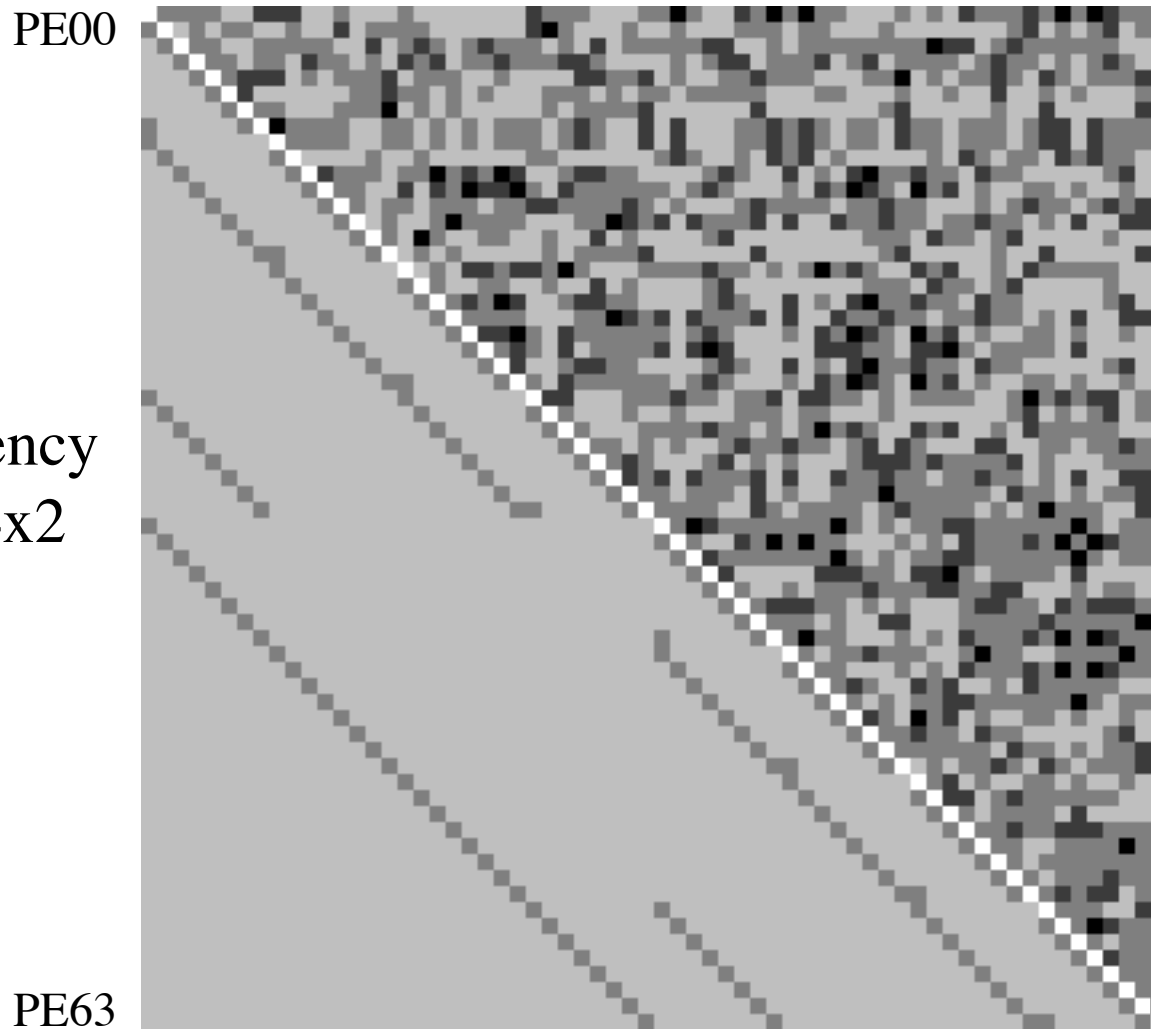
Example Universal FNN



KLAT2's Universal FNN

Specification:

- All PE pairs want low latency
- 3D torus 8x4x2 ± 1 offsets want extra bandwidth



Solution:

- All PE pairs have unit latency
- 3D torus 8x4x2 ± 1 offsets
153 of 160 pairs have at least two units of bandwidth
- 4 NIs per PE
- 9 switches
(32-ports each)

Note: KLAT2 was first supercomputer under \$1000/GFLOPS, 2000

Universal FNN?

- All node pairs are equidistant
- All permutations pass in one hop
- Many non-permutations also are single-hop
- A PE's list of neighbors contains every other PE
- Scalability is only $\sim 2-5x$ of a single switch

Relax these to get better scaling...

Sparse FNN Idea

- Select a target suite of parallel programs
- Find the set of communication patterns used
- Take the union of the important patterns
- Construct a desired neighbor list for each PE
- Satisfy the FNN property for these neighbors

Communication Patterns

- $O(1)$: shuffle, bit-reversal, mesh/tori neighbor
 ± 1 offsets in 2D and 3D
- $O(\log(N))$: hypercube, reductions
 \pm power of 2 offsets in any dimension
- $O(N^{1/D})$: scatter, gather, all-to-all
i.e., not permutations
- Overlap between patterns: pair synergy

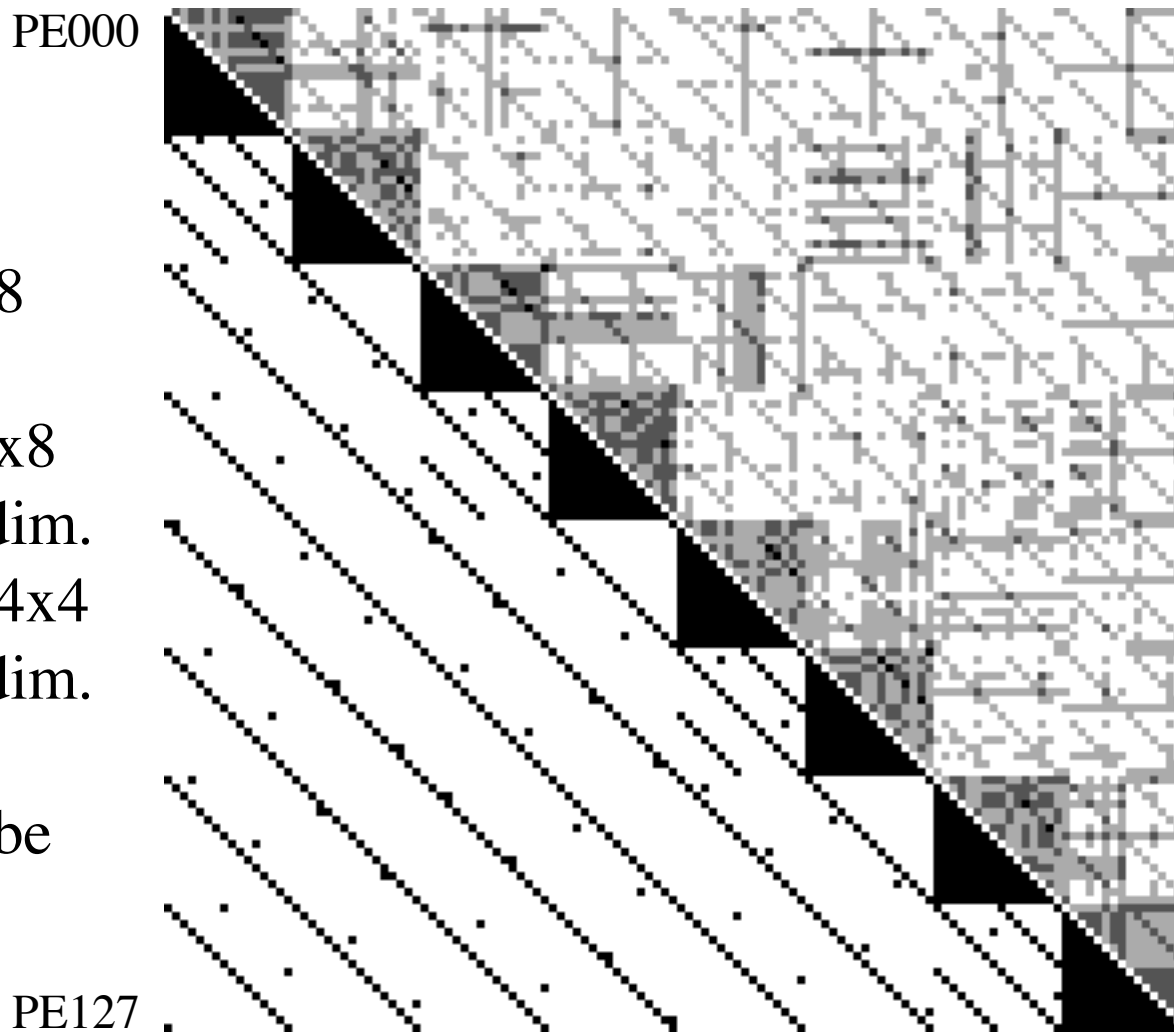
Sparse FNN Properties:

- Single switch latency for chosen patterns
- Full bisection bandwidth for chosen patterns
- Scales better than Universal FNNs
 - Neighbor lists scale as $\sim O(\log(N))$ vs. $O(N)$
 - Lower cost (uses narrower switches)
 - Design solutions found for over 10K PEs

KASYO's Sparse FNN

Specification:

- 1D torus 128 ± 1 offsets
- 2D torus 16x8 all in same dim.
- 3D torus 8x4x4 all in same dim.
- bit-reversal
- 7D hypercube



Solution:

- All requested PE pairs have unit latency
- All requested PE pairs have at least 1 unit of bandwidth
- 3 NIs per PE
- 17 switches (24-ports each)

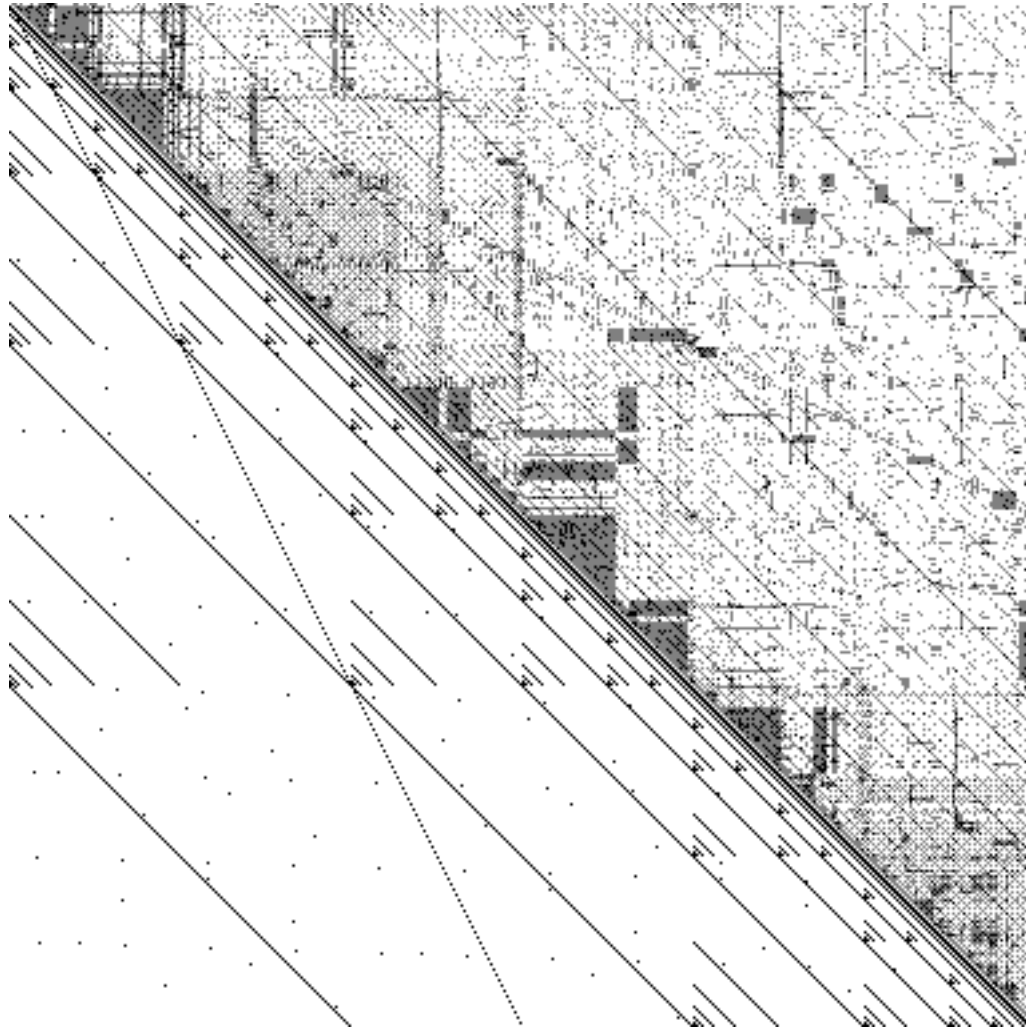
Note: KASYO was first supercomputer under \$100/GFLOPS, 2003

1024-PE Sparse FNN Example

Specification:

- 1D torus
 $\pm 2^k$ offsets
- 2D tori
 $\pm 2^k$ offsets
- 3D tori
 $\pm 2^k$ offsets
- shuffle
- bit-reversal
- 10D hypercube
- 2D transpose

PE000



PE383

Solution:

- All requested PE pairs have unit latency
- All requested PE pairs have at least 1 unit of bandwidth
- 2-6 NIs per PE
- 101 switches
 (48-ports each)

523,766 possible PE Pairs:

- 2.78% requested
- 19.6% covered in this solution

FNN Runtime Support

- Support coming to the Warewulf cluster toolset
- Modified Linux 2.4 & 2.6 Bonding Driver
 - Run any IP layer software, unmodified
 - Compressed routing table (4KB for 1024 PEs)
 - MAC addresses locally administered by driver

Conclusion: Sparse FNNs

- Give more control over cost/performance trade-offs
- Take account of what the parallel programs actually need
- Can achieve single-switch latency for very large systems
- Can guarantee pairwise bandwidth for very large systems